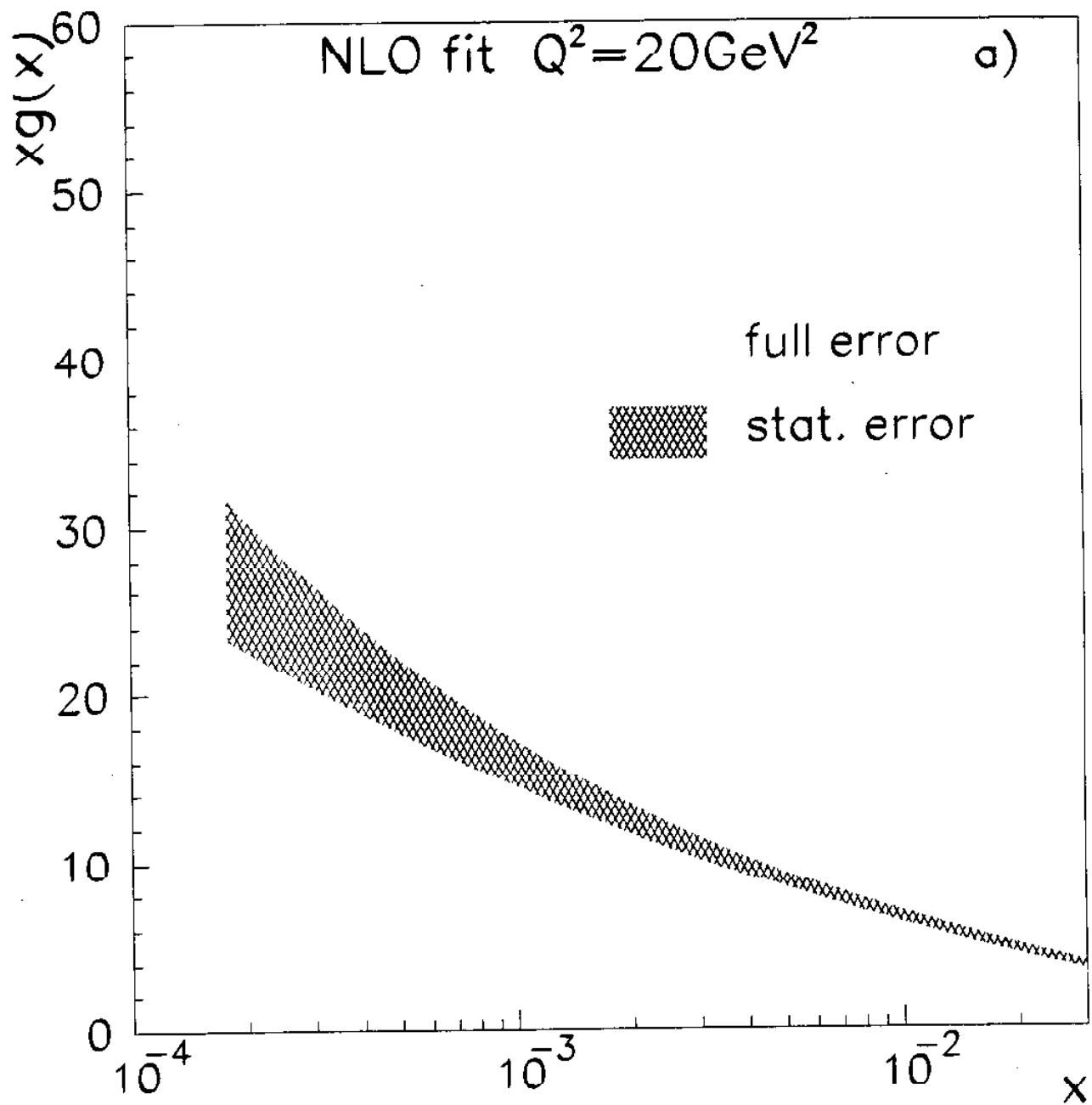


# Jet Rate & Q.C.O Fit

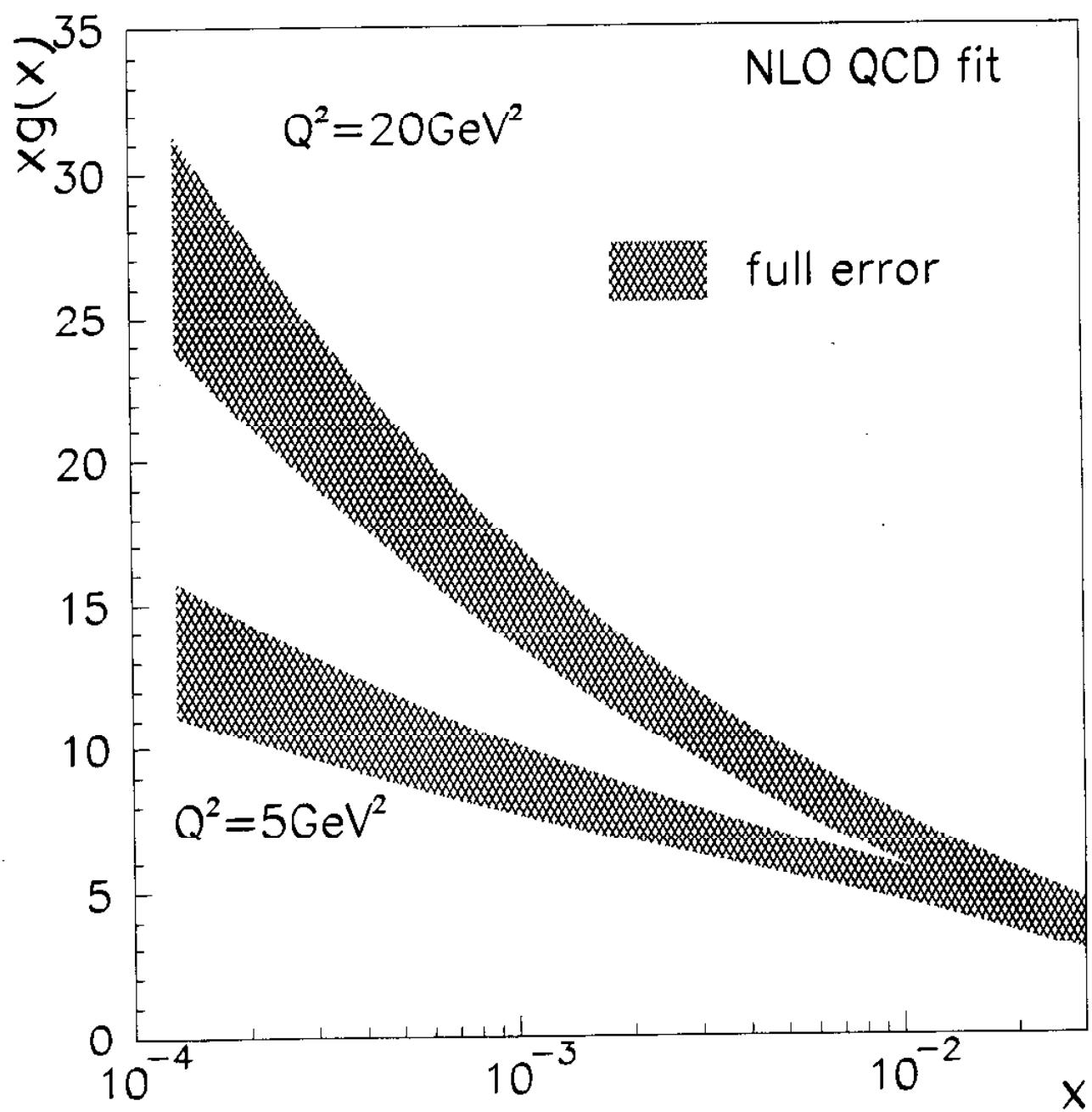
in H1

- Motivations .
- Fit procedure .
- measurement of the jet rate.
- Conclusion

$H_1 F_2$  1993 data analysis ↗



H1 1994  $F_2$  data analysis ↴



- Question:

- Can we improve the gluon determination within Q.C.D Fit analysis ?

$\Rightarrow$  "Yes" using jet rate observable

- But : "Factorizable" algorithm

$\Rightarrow$  same P.d.F used for  $F_2$  and  
Jet X-section calculation

$\Rightarrow$  Good candidate :  $k_t$  algorithm

$\Rightarrow$  Jet rate measurement at  
small- $x$  using the  $k_t$  alg.

$\Rightarrow$  include this measurement  
in our Fit procedure

## • Fit Procedure •

- Same as in  $F_2$  analysis
  - DGLAP eq. solved
  - $\Rightarrow$  Gluon, Singlet, Non singlets  
quark densities
  - using
$$\chi^2_{\text{tot}} = \chi^2_{F_2} + \underbrace{\chi^2_{\text{jet}}}_{\text{new}}$$
- data entering the fit:
  - H1 -  $F_2$  (1994) + NMC (H & D) + H1 jet rate
- one detail:
  - massless quark prescription is used : ~~NLO~~ calculation program  
For note including m

- $\chi^2_{\text{jet}}$  Definition

- Goal : Perform N.L.D analysis

$\Rightarrow$  Avoid parton level of M.C.

$\Rightarrow$  jet rate at hadron level

- Choice:

- Use uncorrected data

$\Rightarrow$  Fold calculations with

detector response functions

- $$\chi^2_{\text{jet}} = \sum_j \frac{[R^{\text{det}}(j) - R^{\text{data}}(j)]^2}{\sigma_{\text{stat}}^2}$$

$$j \equiv \text{bin } \{\Delta x_j, \Delta Q^2_j\}$$

$$R_{(j)}^{\text{det}} = \frac{\sum_i d_2(i,j) \bar{\sigma}_{(i)}^{2+1} + d_{\bar{2}}(i,j) [\bar{\sigma}_{(i)}^{\text{tot}} - \bar{\sigma}_{(i)}^{2+1}]}{\sum_i d(i,j) \bar{\sigma}_{(i)}^{\text{tot}}}$$

•  $d_2(i,j)$  : 2 jets at had. Level  
 $\rightarrow$  2 jets at det. Level

•  $d_{\bar{2}}(i,j)$  : Not 2 jets at had. Level  
 $\rightarrow$  2 jets at det. Level

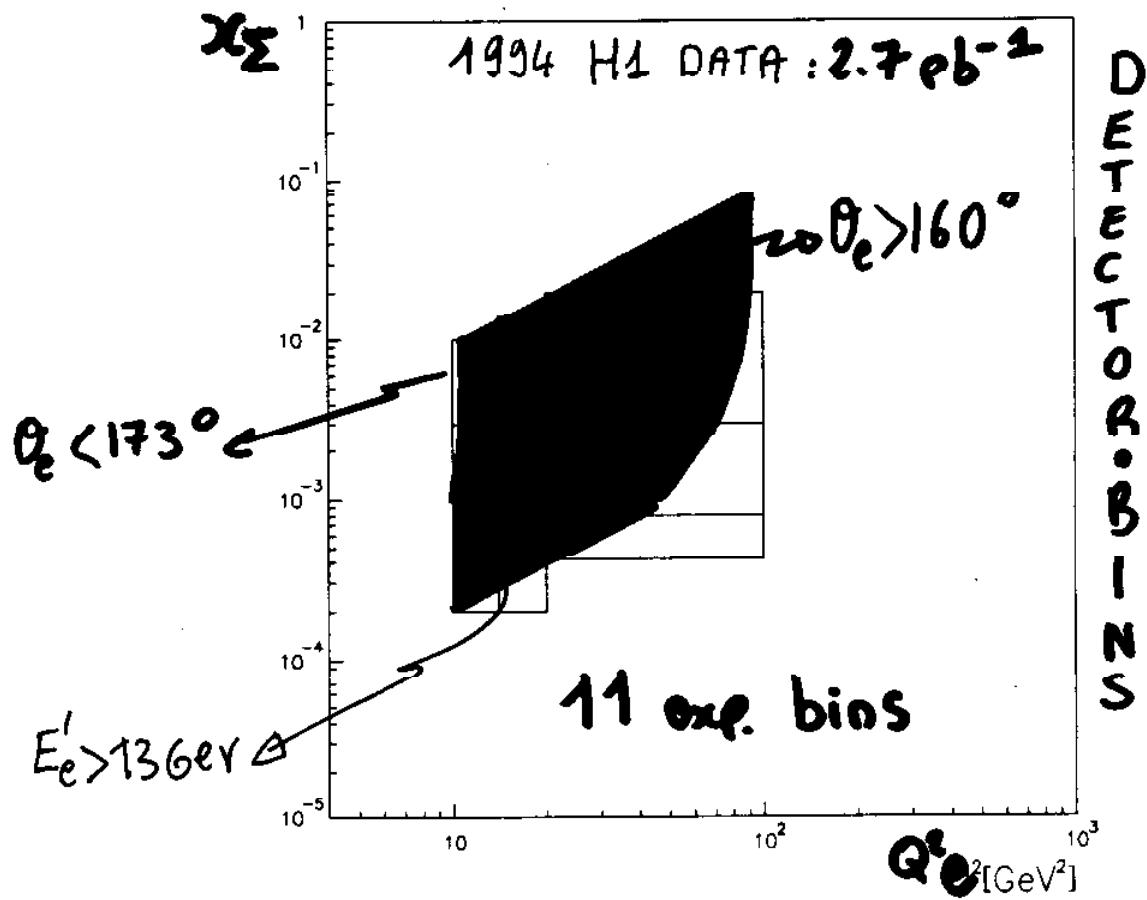
$$\bullet \bar{\sigma}_{(i)}^{2+1} = \int \int \frac{dx dQ^2}{\Delta x_c \Delta Q^2} \left\{ \left( \frac{d\bar{\sigma}^{2+1}}{dx dQ^2} \right)_{\text{Pert.}} + \Delta \bar{\sigma}_{(x_c, Q^2)}^{2+1} \right\}$$

↓

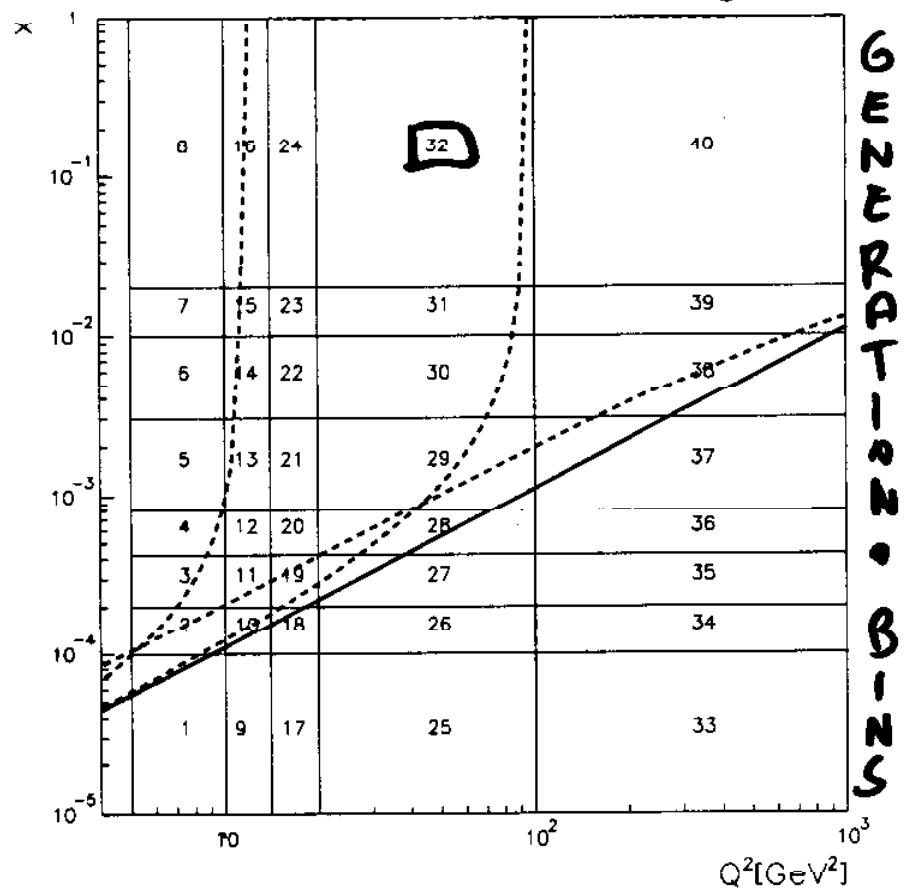
computed using Disent n.c. collg. (N.L.O) (extracted for basis functions *) convoluted with P.d.F evolved in the fit program	Power corr. : $\sim \frac{A}{Q^2} + B \frac{\ln Q^2}{Q^2}$ A-Priori ...
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\* G. Lobo: Proceeding of the last HERA workshop.

# • DATA ANALYSIS •



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- Jet Rate measured

- $10 < Q^2 < 100 \text{ GeV}^2$
  - $2 \cdot 10^{-4} < x < 2 \cdot 10^{-2}$
- } 11 bins

- $k_t$  algorithm performed

- in the Breit-Frame ( $e \times \vec{p} + \vec{q} = \vec{o}$ )
- using Calorimeter clusters
- Resolution scale :  $Q^2$
- Resolution parameter :  $y_c = 0.5$

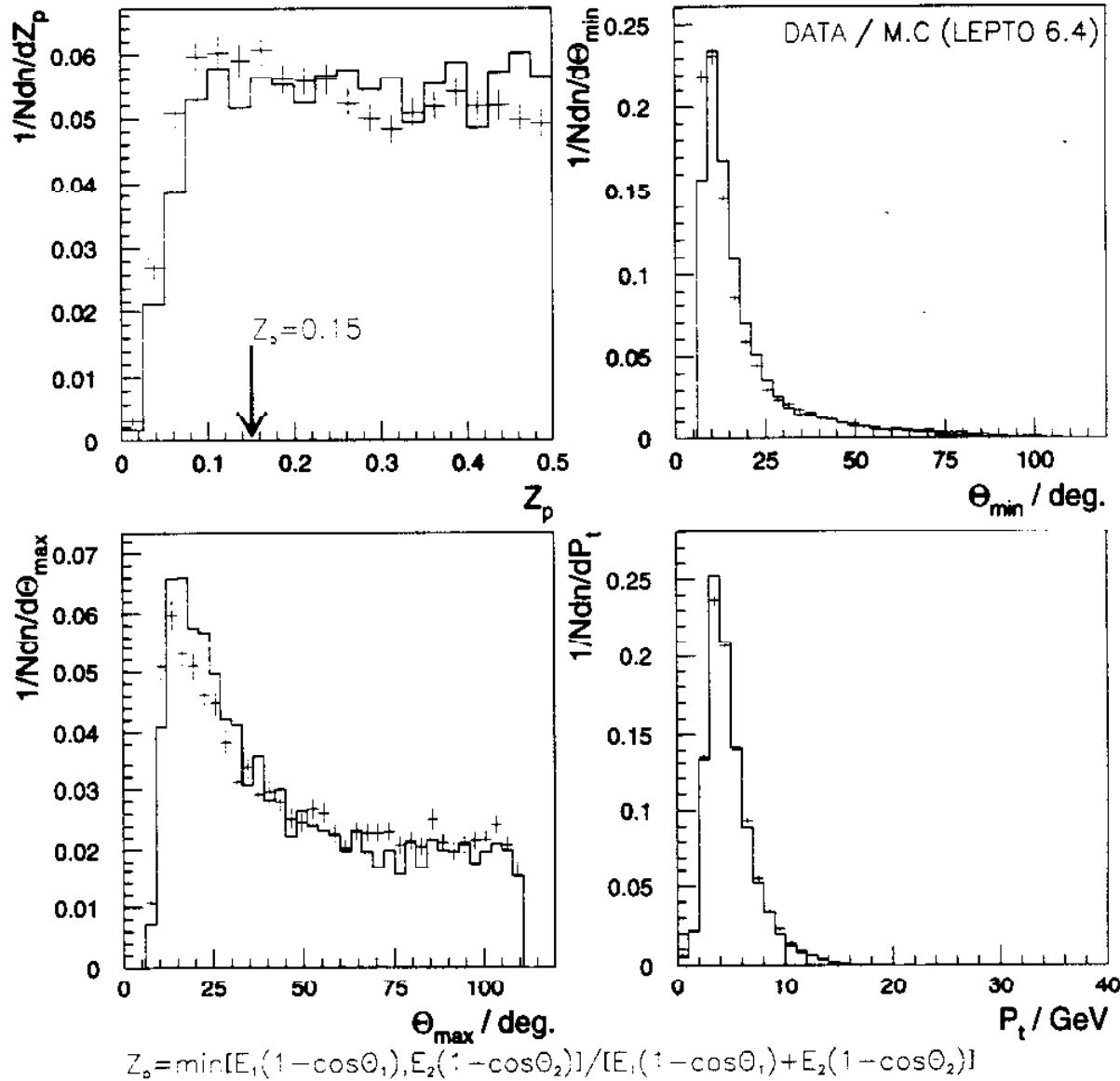
$\Rightarrow \theta_{\text{jet}}$  cuts:

- $\theta_{\text{jet}} > 7^\circ$  to avoid beam pipe
- $\theta_{\text{jet}} < 110^\circ$  to avoid backward calorimeter

• shape comparison •  
 ( $\Leftrightarrow$  histos normalized to 1)

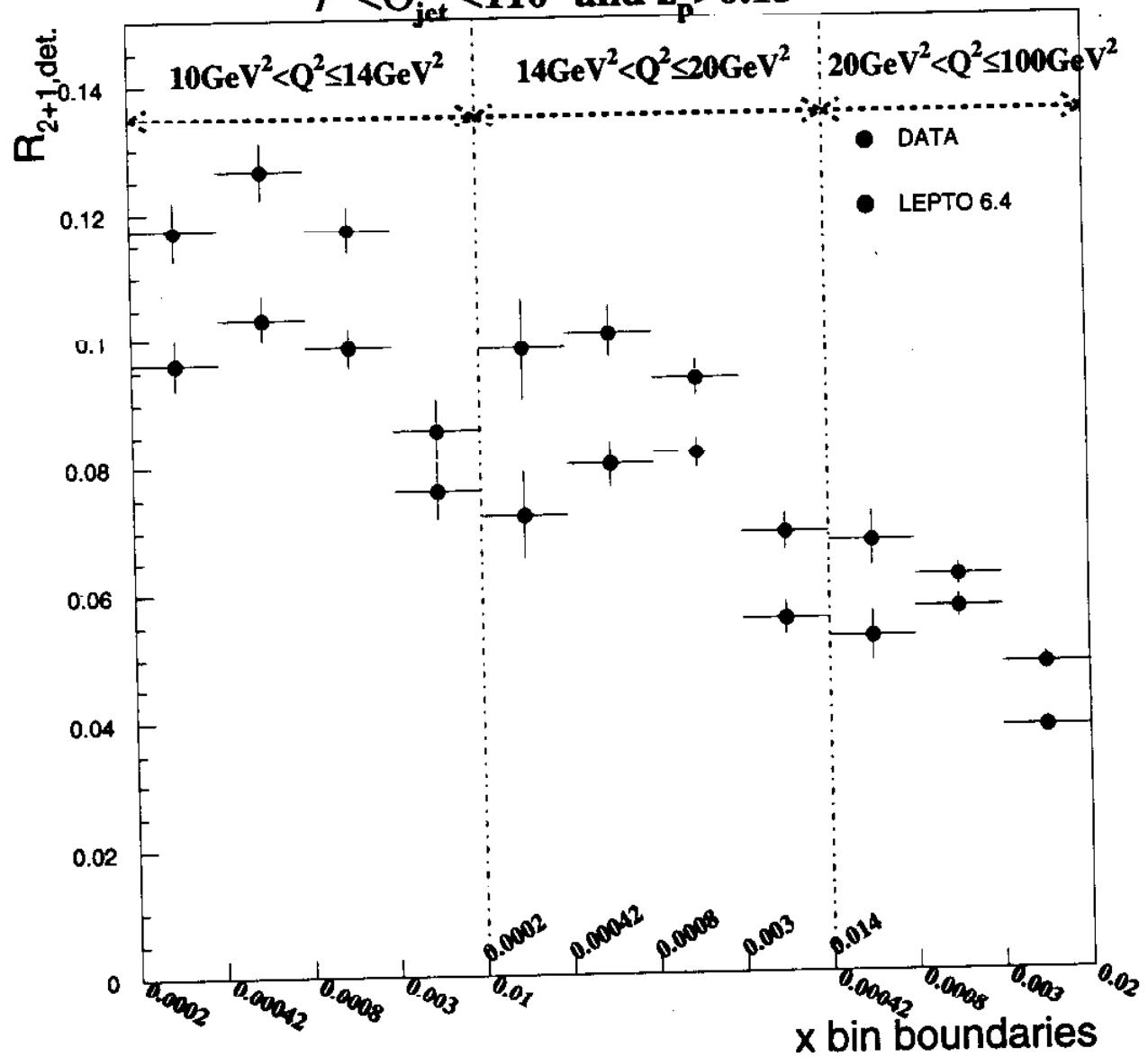
2 jet event sample

$$7^\circ < \Theta_{\text{jet}} < 110^\circ$$



- Q.E.D. rad. corr.  $< 1\%$  (Django I.C.)
- syst. error:
  - Dominated by hadronic energy scale in Calorimeters.
  - effect on jet rate: Between 3% and 13%.  
 $\Rightarrow$  Fully correlated
  - Systematic taken into account within the  $\chi^2$ . expression. (see F-Z talk of yesterday)

$7^0 < \Theta_{jet} < 110^0$  and  $z_p > 0.15$



## • Fit Results •

### • Starting Fit

• NO jet data: H1-F<sub>2</sub>; NNC(F<sub>2</sub><sup>P</sup>, F<sub>2</sub><sup>D</sup>)

•  $\Lambda_{\text{fit}}^4 = 250 \text{ GeV}$

$\Rightarrow \chi^2_{\text{jet}}$ , singlet, 2 non-singlet  
PDF are evolved from  
 $Q_0^2 = 10 \text{ GeV}^2$

### • jet Rate introduced

$\Rightarrow \text{REFIT}$



• no significant changes of the PDF

• using  $\frac{A}{Q^2} + B \frac{\ln Q^2}{Q^2}$  for power

correction & fitting A, B

$\Rightarrow \chi^2_{\text{jet}} > 200$  for 11 points!

$\Rightarrow$  ask "theoretician"

• non pert. corr. are  $x$ -dependent.

$\Rightarrow$  Simple empirical  $x$  function is introduced:

$$\Delta U^{x+2}_{(x, Q^2)} = \frac{h(x)}{Q^2}$$

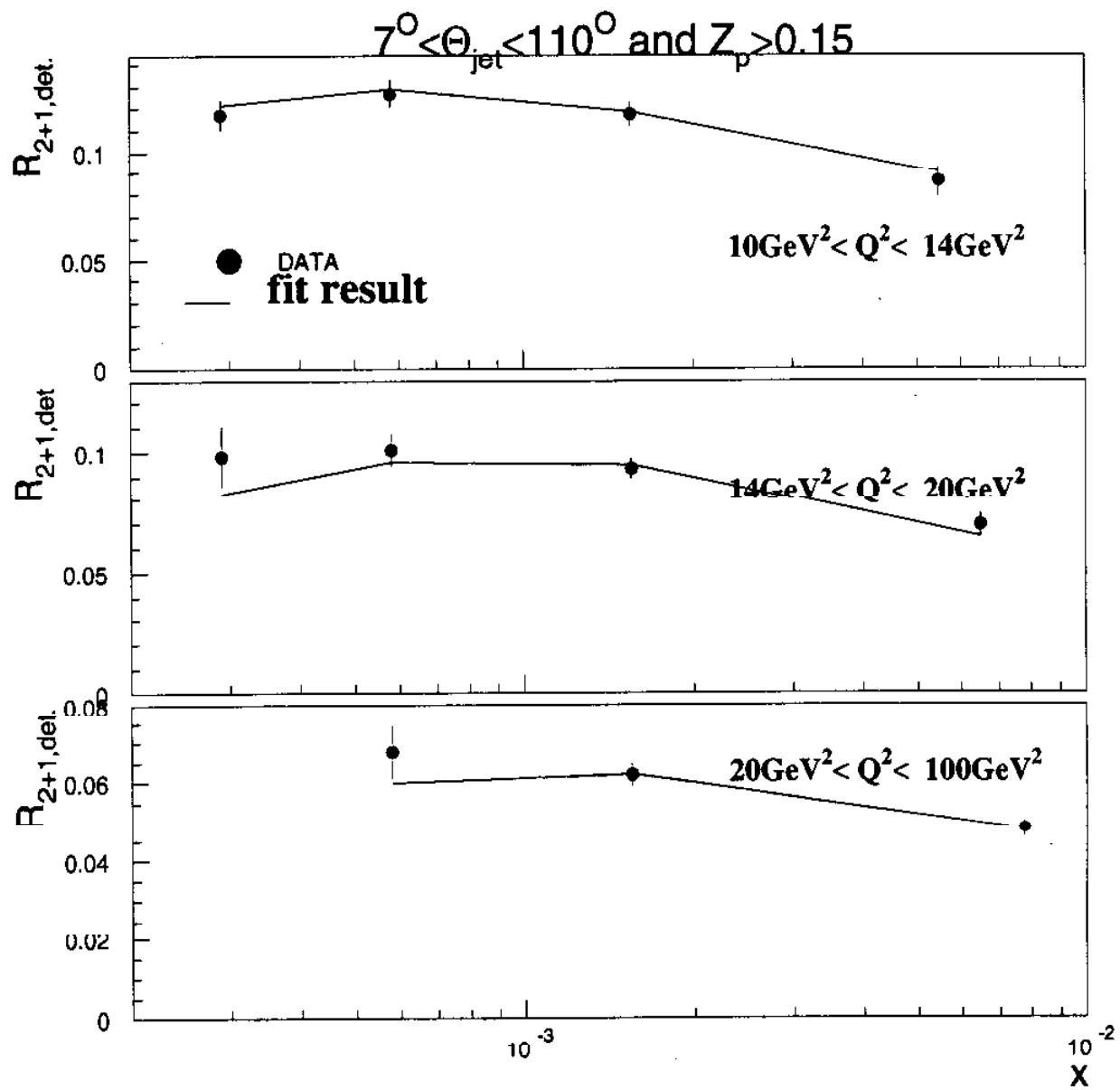
[we found:  $\frac{\ln Q^2}{Q^2}$  not necessary]

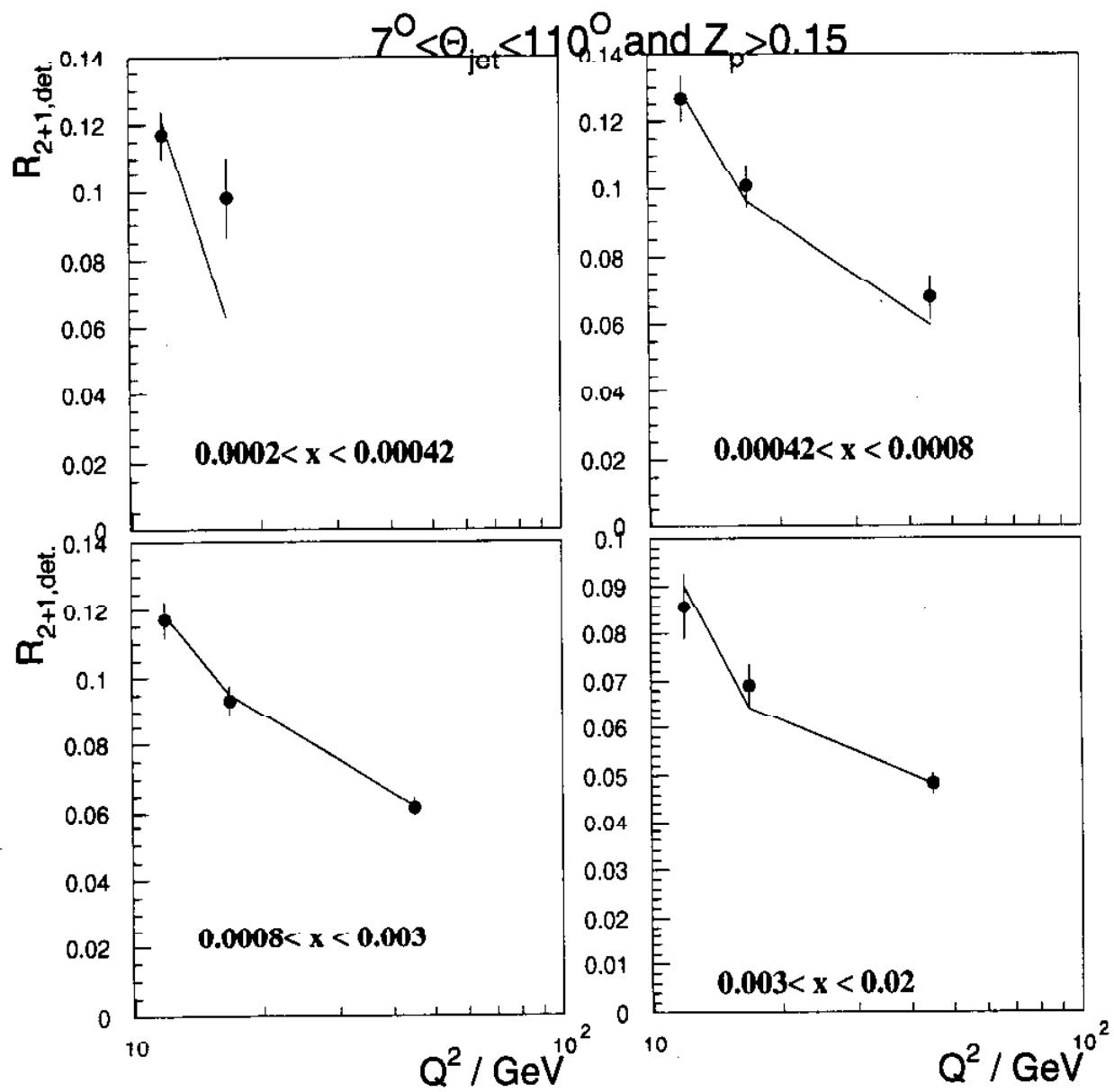
• with

$$h(x) = \alpha + \beta \ln \frac{x}{x_0} + \gamma \ln^2 \frac{x}{x_0} + \delta \ln^3 \frac{x}{x_0}$$

•  $\alpha, \beta, \gamma, \delta$ : free parameter

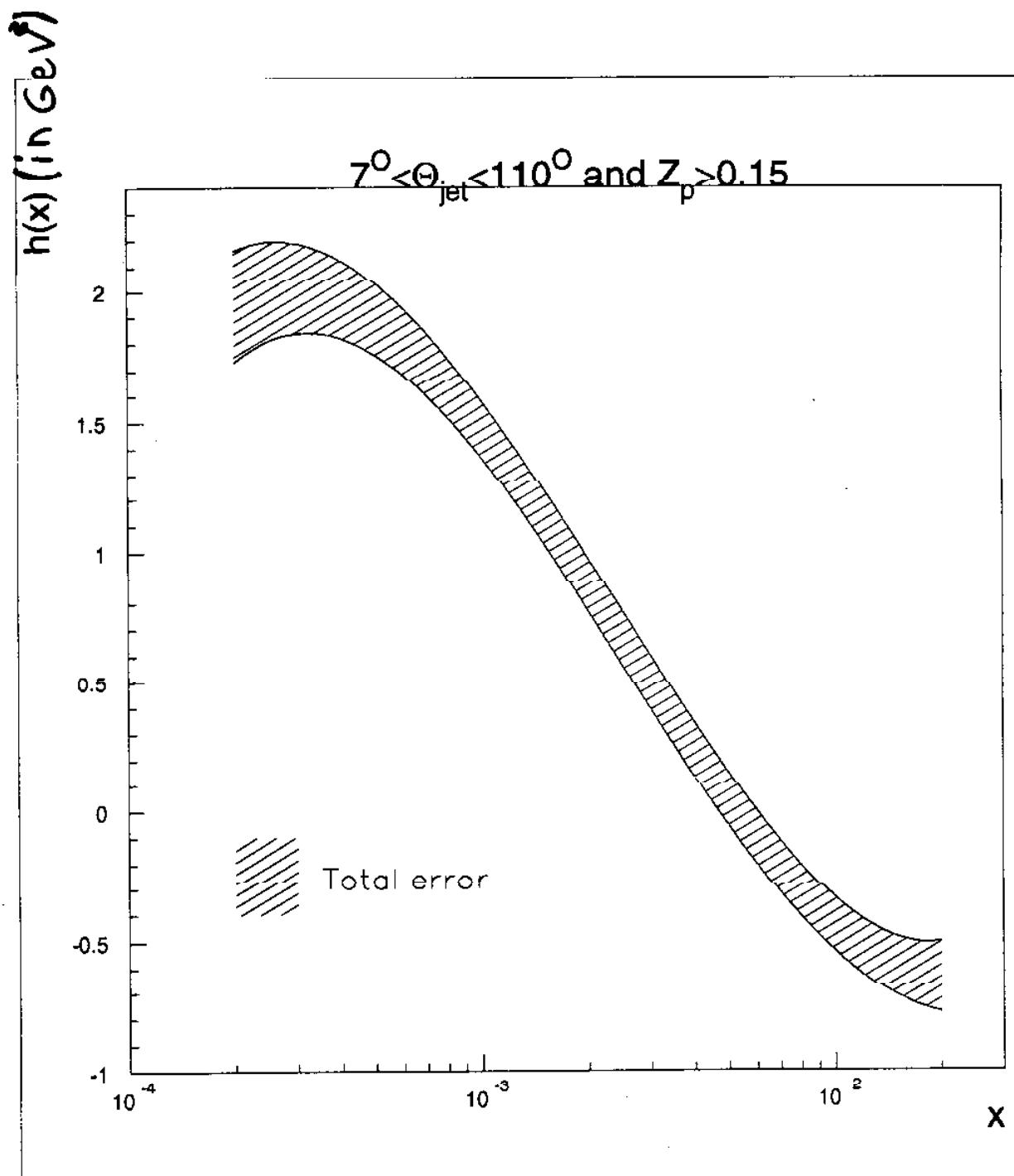
(•  $x_0 = 10^{-4}$ )

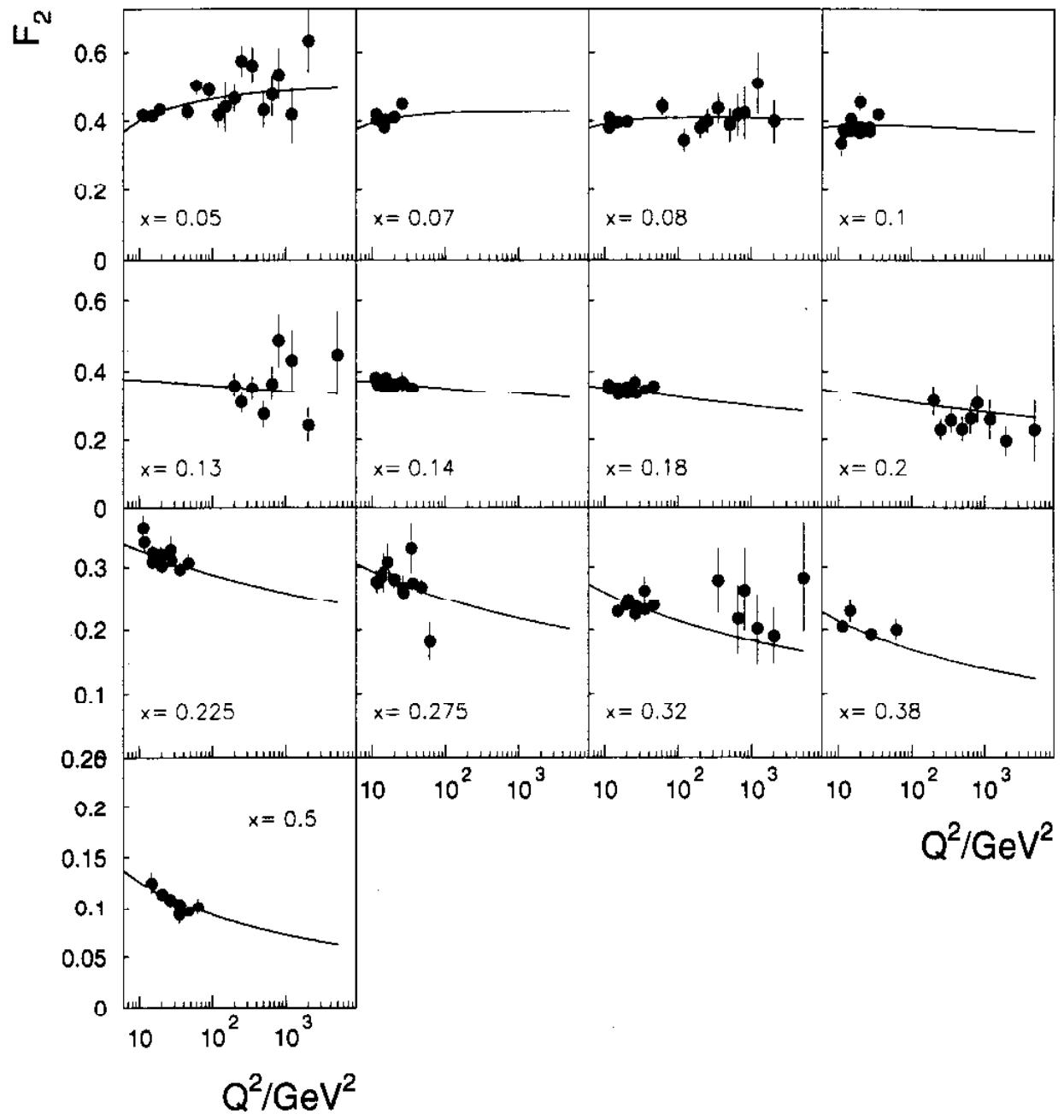




## • RESULT

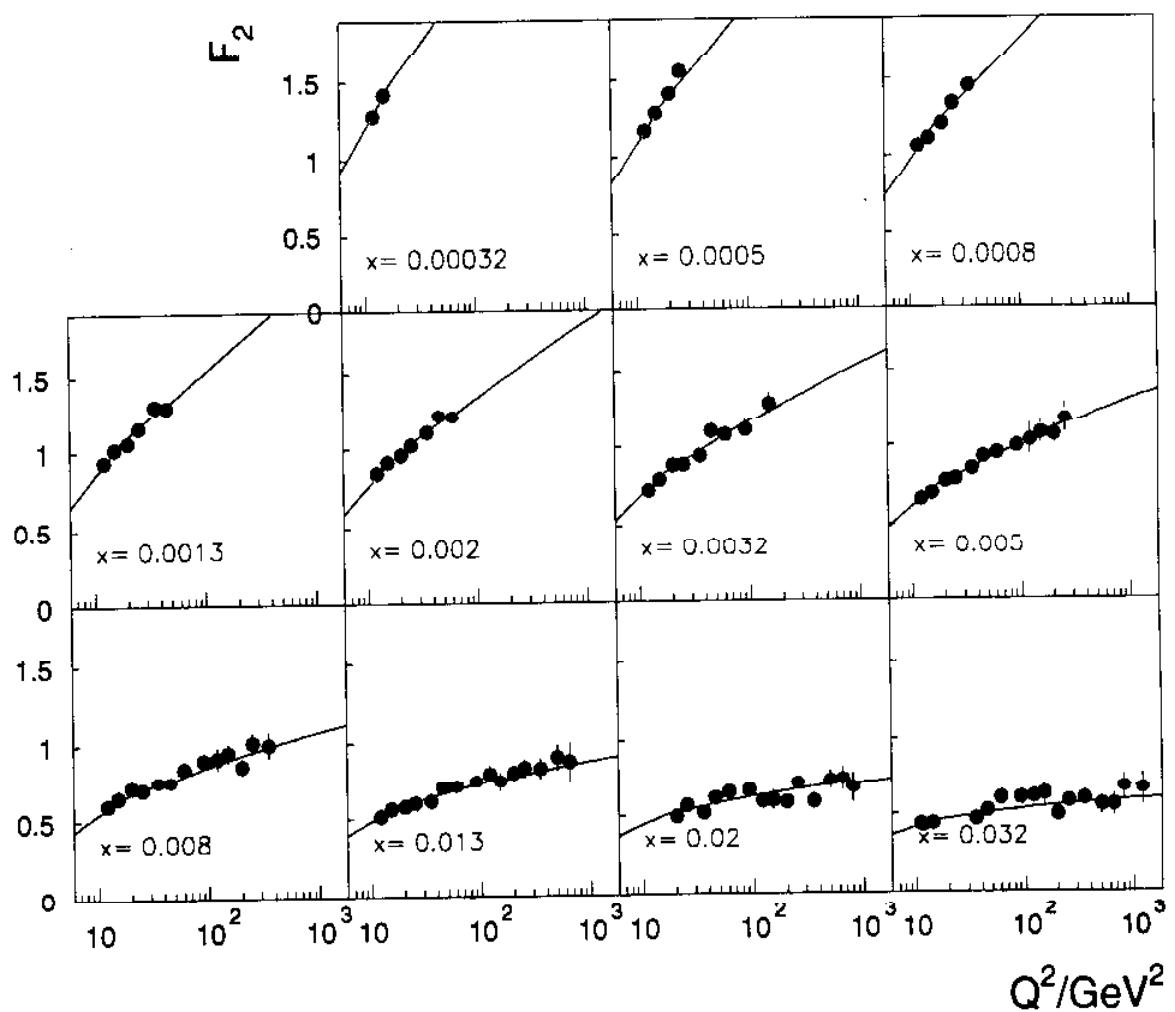
- Good  $\chi^2$ :  $\chi^2_{\text{jet}} < 10$  (For 11 points)
- Still: no significant modification of P.d.F
- Very little improvement of the gluon error band.
- But: extraction of non perturbative function  $h(x)$  with error band





● H1  
● NMC

### H1 & NMC $F_2$ fit result



## • Conclusion •

- Using  $k_t$  alg. with scale  $Q^2$  does not "help"  $F_2$  to determine  $xg$

BUT

- Fitting simultaneously  $F_2$  & jet-rate  
     $\Rightarrow$  extraction of the non perturbative contribution to  $\bar{G}^{2+1}$ :  $\frac{h(x)}{Q^2}$   
     $\Rightarrow$  experimental error band for  $h(x)$
- A frame to study jet rate using  $\alpha_{\text{CO}}$  at NLO is provided  
     $\Rightarrow$  what algorithm should we use?  
        (to do a proper job)